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Date

:13-01-2025

BK BIRLA CENTRE FOR EDUCATION

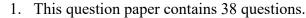
SARALA BIRLA GROUP OF SCHOOLS SENIOR SECONDARY CO-ED DAY CUM BOYS' RESIDENTIAL SCHOOL

PRE-BOARD EXAMINATION 3 2024-25

MATHEMATICS (041)

Class: X

General Instructions:



- 2. This Question Paper is divided into 5 Sections A, B, C, D and E.
- 3. In Section A, Question No 1-18 are MCQs and Q No19 and 20 are Assertion-Reason based questions of 1 mark each.
- 4. In Section B Question no 21-25 are very short answer (VSA) type questions, carrying 2 marks each.
- 5. In Section C, Question no. 26-31 are short answer (SA) type questions, carrying 3 marks each.
- 6. In Section D Question no 32-35 are long answer (LA) type questions carrying 5 marks each.
- 7. In Section E, question no 36-38 are case based questions carrying 4 marks each with sub parts of the values of 1,1 and 2 marks each respectively.
- 8. All Questions are compulsory. However, an internal choice in 2 Qs of Section B, 2 Questions of Section C and 2 Questions of Section D has been provided. An internal choice has been provided in all the 2 marks questions of Section E.
- 9. Draw neat and clean figures wherever required.
- 10. Take π =22/7 wherever required if not stated
- 11. Use of calculators is not allowed

	SECTION-A	
	Section A consists of 20 questions of 1 mark each	
1.	The zeroes of the quadratic polynomial $x^2 + 25x + 156$ are (a) both positive (b) both negative (c) one positive and one negative (d) can't be determined	1
2.	The pair of linear equations $\frac{3}{2}x + \frac{5}{3}y = 7$ and $9x + 10y = 14$ is (a) consistent (b) inconsistent (c) consistent with one solution (d) consistent with many solutions	1
3.	In figure, PQ and PR are tangents to a circle with centre A. If \angle QPA = 27°, then \angle QAR equals to (a) 63° (b) 153° (c) 126° (d) 117°	1
4.	The next term of the AP: $\sqrt{18}$, $\sqrt{50}$, $\sqrt{98}$, is	
7.	(a) $\sqrt{146}$ (b) $\sqrt{128}$ (c) $\sqrt{162}$ (d) $\sqrt{200}$	1

Duration: 3 Hrs Max. Marks: 80

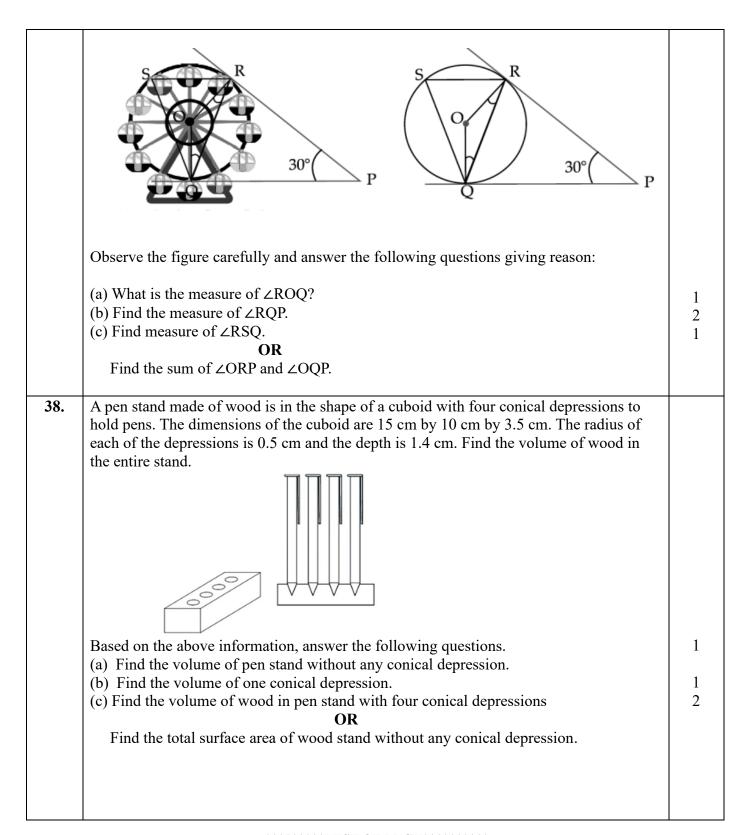
5.	Volumes of two spheres are in the ratio 64: 27. The ratio of their surface areas is (a) 3: 4 (b) 4: 3 (c) 9: 16 (d) 16: 9	1
6.	If $tanA = \frac{5}{12}$, then find the value of $(sinA + cosA)$. secA	
	(a) 12/5 (b) 17/12 (c) 7/12 (d) None of these	1
7.	In the given figure AB, AC and AD are tangents to the circle. If AB =5 cm, then AD is	
	equal to	
		1
	Ą	
	B V	
	(a) 5 cm (b) 2 cm (c) 7 cm (d) none of these	
8.	If zeroes of $p(x) = 2x^2 - 7x + k$ are reciprocal of each other, then value of k is	
0.	(a) 1 (b) 2 (c) 3 (d) 4	1
_		
9.	The median class of the following marks of 100 students is:	
	Marks 0-10 10-20 20-30 30-40 40-50 50-60 Number of students 8 10 12 22 30 18	
	1.0000000000000000000000000000000000000	1
	(a) $20-30$ (b) $30-40$ (c) $40-50$ (d) $50-60$	
10.	In the figure PA and PB are tangents to the circle with centre O. If $\angle APB = 60^{\circ}$, then	
10.	ZOAB is	
	<u> </u>	
	P (• 0)	
	B	
	(a) 30° (b) 60° (c) 90° (d) 15°	1
11.	The nature of the roots of the quadratic equation $9x^2 - 6x - 2 = 0$	
	(a) Irrational and distinct (b) Not real	1
	(c) Real and distinct (d) Real and equal	1
12.	If 3 cot $\theta = 2$, then the value of tan θ	
	(a) $\frac{2}{3}$ (b) $\frac{3}{2}$ (c) $\frac{3}{\sqrt{13}}$ (d) $\frac{2}{\sqrt{13}}$	1
	VIS VIS	
13.	A toy is in the form of a cone of radius r cm mounted on a hemisphere of the same	
	radius. The total height of the toy is $(r + h)$ cm, then the volume of the toy is	
	(a) $\pi (2r + h) \text{ cm}^3$ (b) $\pi r^2 (2r + h) \text{ cm}^3$ (c) $\frac{1}{3}\pi r^2 (2r + h) \text{ cm}^3$ (d) $\frac{1}{3}\pi r^2 (r + h) \text{ cm}^3$	1
		_

14.	17 cards numbered 1,2,3,17 are put in a box and mixed thoroughly. One person draws a card from the box. Find the probability that the number on the card is: a prime			
	number			
	(a) $\frac{5}{17}$ (b) $\frac{6}{17}$ (c) $\frac{7}{17}$ (d) $\frac{8}{17}$	1		
	17 17 17 17			
15.	If P $(\frac{a}{3}, 4)$ is the mid-point of the line segment joining the points Q $(-6, 5)$ and R $(-2, 3)$,			
	then the value of a is			
	(a) -12 (b) -4 (c) 12 (d) -6	1		
4.5				
16.	Using the empirical formula, find the mode of a distribution whose mean is 8.32 and the median is 8.05.			
	(a) 24.51 (b) 8.32 (c) 8.05 (d) 7.51	1		
17.	Three vertices of a parallelogram ABCD are $A(1, 4)$, $B(-2, 3)$ and $C(5, 8)$. The ordinate of the fourth vertex D is			
	(a) 9 (b) 8 (c) 7 (d) 6	1		
18.	The probability that a non-leap year has 53 Sundays, is			
	(a) $\frac{2}{7}$ (b) $\frac{5}{7}$ (c) $\frac{6}{7}$ (d) $\frac{1}{7}$	1		
	DIRECTION : In the question number 19 and 20, a statement of Assertion (A) is			
	followed by a statement of Reason (R). Choose the correct option:			
	(a) Both assertion (A) and reason (R) are true and reason (R) is the correct explanation of			
	assertion (A). (b) Both assertion (A) and reason (R) are true but reason (R) is not the correct			
	explanation of assertion (A).			
	(c) Assertion (A) is true but reason (R) is false.			
	(d) Assertion (A) is false but reason (R) is true.			
19.	Assertion (A): If LCM of two numbers is 2475 and their product is 12375, then their			
	HCF is 5	1		
	Reason (R): HCF $(a, b) \times LCM(a, b) = a \times b$.			
20.	Assertion (A): The length of the minute hand of a clock is 7 cm. Then the area swept by			
	the minute hand in 5 minute is $\frac{77}{6}$ cm ² .			
	Reason (R): The length of an arc of a sector of angle θ and radius r is given by			
	$l = \frac{\theta}{360^{\circ}} \times 2\pi r$	1		
	SECTION-B Section P. Consists of 5 questions of 2 montes each			
21.	Section B Consists of 5 questions of 2 marks each Find the HCF and LCM of 96 and 404 using prime factorisation method.			
21.	OR			
	The HCF of 65 and 117 is expressible in the form 65m-117. Find the value of m.	2		
22.	A box contains 5 red marbles, 8 white marbles and 4 green marbles. One marble is taken			
•	out of the box at random. What is the probability that the marble taken out will be			
	(i) red?			
	(ii) not green?			
	OR			

A lot consists of 144 ball pens of which 20 are defective and the others are good. Nuri will buy a pen if it is good, but will not buy if it is defective. The shopkeeper draws one pen at random and gives it to her. What is the probability that (i) She will buy it? (ii) She will buy it? (iii) She will not buy it 23. Evaluate: \[\frac{5\cos^260^2 + 4\sec^230^\circ - tan^245^\circ}{sin^230^\circ + cos^230^\circ} \] 24. Find the point on x-axis which is equidistant from the points (2, -5) and (-2, 9). 25. If the point C (-1, 2) divides the line segment AB in the ratio 3: 4, where the coordinates of A are (2, 5), find the coordinates of B. SECTION-C Section C consists of 6 questions of 3 marks each 26. Sides AB and BD and median AC of a triangle ABD are respectively proportional to sides PQ and QR and median PM of Δ PQR. Show that ΔABD~ΔPQR. \[\text{OR} \] In figure, ΔABC is right angled at C and DE 1 AB. Prove that ΔABC ~ ΔADE and hence find the lengths of AE and DE. \[\text{OR} \] The sum of two numbers is 34. If 3 is subtracted from one number and 2 is added to another, the product of these two numbers becomes 260, Find the numbers.		A lot congists of 1/1 hall none of which 20 and defeative and the others are seed New!	
23. Evaluate: $\frac{5\cos^2 60^\circ + 4sec^2 30^\circ - tan^2 45^\circ}{\sin^2 30^\circ + \cos^2 30^\circ}$ 24. Find the point on x-axis which is equidistant from the points (2, -5) and (-2, 9). 25. If the point C (-1, 2) divides the line segment AB in the ratio 3 : 4, where the coordinates of A are (2, 5), find the coordinates of B. SECTION-C Section C consists of 6 questions of 3 marks each 26. Sides AB and BD and median AC of a triangle ABD are respectively proportional to sides PQ and QR and median PM of Δ PQR. Show that ΔABD~ΔPQR. OR In figure, ΔABC is right angled at C and DE ⊥ AB. Prove that ΔABC ~ ΔADE and hence find the lengths of AE and DE. 27. The sum of two numbers is 34. If 3 is subtracted from one number and 2 is added to another, the product of these two numbers becomes 260, Find the numbers.	2	will buy a pen if it is good, but will not buy if it is defective. The shopkeeper draws one pen at random and gives it to her. What is the probability that (i) She will buy it? (ii) She will not buy it	
Evaluate: sin²30°+cos²30° 24. Find the point on x-axis which is equidistant from the points (2, −5) and (−2, 9). 25. If the point C (−1, 2) divides the line segment AB in the ratio 3 : 4, where the coordinates of A are (2, 5), find the coordinates of B. SECTION-C Section C consists of 6 questions of 3 marks each 26. Sides AB and BD and median AC of a triangle ABD are respectively proportional to sides PQ and QR and median PM of Δ PQR. Show that ΔABD~ΔPQR. OR In figure, ΔABC is right angled at C and DE ⊥ AB. Prove that ΔABC ~ ΔADE and hence find the lengths of AE and DE. The sum of two numbers is 34. If 3 is subtracted from one number and 2 is added to another, the product of these two numbers becomes 260, Find the numbers.		$5cos^260^{\circ} + 4sec^230^{\circ} - tan^245^{\circ}$	23.
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hence find the lengths of AE and DE. Below 12 cm The sum of two numbers is 34. If 3 is subtracted from one number and 2 is added to another, the product of these two numbers becomes 260, Find the numbers.		C M	
27. The sum of two numbers is 34. If 3 is subtracted from one number and 2 is added to another, the product of these two numbers becomes 260, Find the numbers.		hence find the lengths of AE and DE.	
another, the product of these two numbers becomes 260, Find the numbers.	3	$B 12 \text{ cm} \longrightarrow C^{\bullet}$	
20 16 10 11 11 11 1 2 7 7 12 6 1 1 1 1 1	3		27.
28. If α and β are the zeroes of the polynomial $6y^2 - 7y + 2$, find a quadratic polynomial whose zeroes are $\frac{1}{\alpha}$ and $\frac{1}{\beta}$.	3		28.
29. If $x = a \cos \theta - b \sin \theta$ and $y = a \sin \theta + b \cos \theta$, then prove that $a^2 + b^2 = x^2 + y^2$	3		29.
30. A chord of a circle of radius 15 cm subtends an angle of 60° at the centre. Find the areas of the corresponding minor segment of the circle. (Use $\pi = 3.14$ and $\sqrt{3} = 1.73$)			30.
OR		OD	
UK		UK	
		1	
,			

31.	A brooch is made with silver was also used in making 5 diamed into 10 equal sectors as shown (i) The total length of the silve (ii) The arc of each sector of the silve of the silve of the silve (iii) The arc of each sector of the silve of the silve (iii) The arc of each sector of the silve of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iii) The arc of each sector of the silve (iiii) The arc of each sector of the silve (iiiiii) The arc of each sector of the silve (iiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiiii	in fig find: r wire required.	liameter 35 mm. The wire	3
		SECTION - D		
		onsists of 4 questions of 5 mar	ks each	
32.	Solve the following system of	equations graphically $x + 3y = 6$ $2x - 3y = 12$		
	and hence find the value of a ,			
	If 4x + 3y = a	OD		
	and breadth is increased by 3 u	OR duced by 9 square units, if its ler units. If we increase the length by y 67 square units. Find the dime	3 units and the breadth	5
33.	sides in distinct points, then of Use this theorem to find the va	trallel to one side of a triangle to her two sides are divided in the salue of x in the following question -3 , AB = $2x$, CE = $x - 2$ and AC	same ratio. n	
		B C		5
34.	A 1.2 m tall girl spots a balloon moving with the wind in a horizontal line at a height of 88.2 m from the ground. The angle of elevation of the balloon from the eyes of the girl at any instant is 60°. After some time, the angle of elevation reduces to 30°. Find the distance travelled by the balloon during the interval.			5
35.	If the median of the distribution given below is 868, find the values of x and y.			
	Class interval	Frequency		
	800-820	7		
	820-840	14		
	840-860	X		
	860-880	25		
	880-900	y		
	900-920	10	_	
	920-940	5		
	Total	100	_	

		OR		
	During a medical check-	-up of 35 students, thei	r weights were recorded as follows:	
	Weight in kgs	No. of		
		students		
	Below 40	3		
	Below 42	5		
	Below 44	9		
	Below 46	14		5
	Below 48	28		
	Below 50	31		
	Below 52	35		
	Compute the modal weight.			
		SECTIO		
	Section E c	onsists of 3 Case Base	ed Questions of 4 marks each	
	taken in order	III various samples is a	all 3- digit numbers that are divisible by 7,	
	On the basis of above information, answer the following questions (a) How many bacteria are considered in the fifth sample?(b) How many samples should be taken into consideration?			1
		mber of bacteria in firs OR	t 10 samples.	2
	How many bacte	eria are there in the 7 th s	sample from the last.	
37.	rotating upright wheel w in such a way that as the taking a ride in Ferris w	with multiple passenger wheel turns, they are heel, Monika came out ng the ride. She was cu	rily fixed during festivals) consisting of a s carrying components attached to the rim kept upright, usually by gravity. After from the crowd and was observing her urious about the different angles and	



*******BEST OF LUCK******